I INTRODUCTION

High step-up dc-dc converters have many industrial applications such as uninterruptible power supplies (UPS), telecommunications industry, space industry, distributed energy generating systems using renewable energy sources and hybrid electric vehicles (HEV). These applications use low voltage energy sources such as batteries, ultra-capacitors, fuel cells and PV cells and require much higher output voltage for operation. In theory, conventional boost converters are able to provide high voltage gain with an extreme duty cycle. However, in practice, the voltage gain is limited by parasitic resistance of boost inductor and switching devices, and instability at high operating duty cycles because of diode reverse-recovery. There also higher voltage devices are necessary and it results in cost increase and lower efficiency. To increase both voltage gain and conversion efficiency, many modified boost converters have been developed in recent years [1–4].

To overcome the diode reverse-recovery problems, active-clamp techniques were adopted but voltage gain and efficiency were still limited by turn-on time and loss of the auxiliary switch losses respectively.

To achieve a wide voltage ratio and decrease both voltage and current stresses and reverse-recovery problems coupled-inductor were employed but the leakage energy of coupled-inductor resulted in high voltage stress across the switch at turn-off. To protect the switches, either a high-rated switch or a snubber circuit was needed. To consume the leakage energy and output diode peak voltage passive snubber circuits were implemented [2–4].

Another problem is switching losses, which is problematic especially at high switching frequencies which results in poor converter efficiency. Therefore, to reduce these switching losses soft-switching methods were applied [5]. Also a soft-switching method is proposed, which involves an auxiliary circuit. However, the auxiliary resonant circuit increases the cost and complexity of converter [6–16]. In certain cases in the resonant converters formed by an auxiliary switch, the main switch achieves soft-switching but the auxiliary switch performs hard-switching. Thus, the whole system efficiency remains relatively poor owing switching losses of the auxiliary switch. Park et al. [17] presented a soft-switching boost converter applied to an auxiliary resonant circuit. They obtained better efficiency comparing conventional boost converter. The adopted converter has a simple auxiliary resonant circuit (SARC). Through this circuit, all of the switching devices perform soft-switching under zero-voltage and zero-current conditions. Therefore, the periodic switching losses generated at switches turn-on and turn-off can be decreased. However, the proposed converter has low dc voltage conversion ratio due to none ideal circuit components.

This paper proposes a new converter topology that presents the both high voltage conversion ratio and efficiency. As illustrated in Fig. 1, the converter is an adopted coupled-inductor boost dc-dc converter using a resonant circuit. In the proposed converter all switching devices perform soft-switching under ZVS and ZCS reducing the losses and voltage and current stresses. The converter uses PWM method for switching patterns and is controlled by a PI controller to improve its dynamic output response. A 225W dc-dc converter for PV application is designed and evaluated by simulation in PSIM software. The results show a good agreement with analytical findings. Before mounting the prototype, the design parameters of the converter should be op-
timized to minimize the losses and to limit switching stresses, now the research activities are in progress to achieve this aim.

II CONVERTER ANALYSES AND DESIGN

In Fig. 1, the adopted converter is including three parts, a coupled-inductor boost converter, auxiliary resonant circuit and clamp diode \((D_0)\). Shown in Fig. 2, the operational mode of this converter can be divided into six modes. For a simple analysis of each mode, the following assumptions are made:

1. All switching devices and passive elements are ideal.
2. The converter operates in continuous conduction mode at all modes.
3. The input voltage \((V_s)\) is considered constant.
4. The coupled inductor in Fig. 1 is modeled as a transformer with magnetizing inductor \((L_m)\) as depicted in Fig. 2. The turns ratio \((n)\) and coupling coefficient \((k)\) of the transformer are defined by the relations (1) and (2) where \(N_1\) and \(N_2\) are the winding turns in the primary and secondary sides, respectively.

\[
n = \frac{N_2}{N_1} \tag{1}
\]

\[
k = \frac{L_m}{L_m + L_t} \tag{2}
\]

The voltage gain of coupled-inductor boost converter and the voltage stress on the main switches \((V_{s1,2})\) are calculated as (3) and (4), where \(D\) is the duty cycle of the switches. These relationships are derived from the analysis of the proposed converter which is presented by 6 modes of operation during a switching period in the next sub-sections.

\[
\frac{V_o}{V_s} = \frac{(nD + 1)}{(1 - D)} \tag{3}
\]

\[
v_{s1,s2} = \frac{(nv_s + v_o)}{(n + 1)} \tag{4}
\]

Mode 1 \((t_0 < t < t_1)\)

Switches \(S_1\) and \(S_2\) are both in the OFF state, the current cannot flow through switches \(S_1\) and \(S_2\), and the accumulated energy of the \(L_m\) is transferred to the load (Fig. 3). In this mode, the \(L_m\) current decreases linearly. During this time, the current does not flow to the resonant inductor \((L_r)\), and the resonant capacitor \((C_r)\) is charged by a constant amount. After both switches are turned on, mode 1 is over; the relations describing some of the voltages and the currents may be simply obtained as follows:

\[
v_{Lm}(t) = \frac{(V_s - V_o)}{(n + 1)} \tag{5}
\]

\[
i_{Lm}(t) = i_{Lm}(t_0) + \frac{(V_s - V_o)}{(n + 1)L_m}t \tag{6}
\]

\[
i_{D0}(t) = i_{Lm}(t)/n \tag{7}
\]

\[
i_{Lr}(t) = i_{s1,s2}(t) = i_{D1,D2}(t) = 0 \tag{8}
\]

\[
v_{cr}(t) = \frac{(nv_s + v_o)}{(n + 1)} \tag{9}
\]

\[
v_{s1,s2} = \frac{v_{cr}(t)}{2} \tag{10}
\]

Mode 2 \((t_1 < t < t_2)\)

After turning on the switches \(S_1\) and \(S_2\), the current flows to the resonant inductor. At that time, the both switches are turned on under zero-current switching (ZCS). As the resonant current rises linearly, the load current gradually decreases. The resonant capacitor voltage will be constant. At \(t_2\), the magnetizing inductor current equals the resonant inductor current, and the output diode \((D_0)\) current reaches zero. Then, the output diode is turned off under zero-current switching (ZVS), and mode 2 is over:

\[
i_{Lr}(t_1) = 0, \quad v_{Lr}(t) = v_{cr}(t) \tag{11}
\]

\[
i_{Lr}(t) = i_{s1,s2}(t) = \frac{v_{cr}(t)}{L_r}t \tag{12}
\]

\[
i_{Lm}(t) = i_{Lm}(t_1) + \frac{(V_s - V_o)}{(n + 1)L_m}t \tag{13}
\]

\[
i_{Lm}(t_2) = i_{Lr}(t_2) \tag{14}
\]

\[
i_{D0}(t) = i_{Lm}(t)/n, \quad i_{D0}(t_2) = 0, \quad i_{D1,D2}(t) = 0 \tag{15}
\]

Mode 3 \((t_2 < t < t_3)\)

The output diode \((D_0)\) current no longer flows, and the resonant capacitor \((C_r)\) and the resonant inductor \((L_r)\) start a resonance. The magnetizing inductor current is nearly constant. Hence, the magnetizing inductor voltage is near zero:

\[
i_{Lm}(t) \approx I_{\text{min}}, \quad v_{Lm} \approx 0 \tag{16}
\]

\[
i_{Lr}(t) = i_{s1,s2}(t) = I_{\text{min}} + \frac{V_m}{Z_r} \sin(\omega t), \quad i_{Lr}(t_3) = I_M \tag{17}
\]

During this resonant period, the resonant capacitor is discharged from \((nv_s + v_o)/(n + 1)\) to zero. This is expressed as (18) and (19). Resonant frequency and impedance are given by (20). When the voltage of the resonant capacitor equals zero, the mode 3 is over:

\[
\frac{V_o}{V_s} = \frac{(nD + 1)}{(1 - D)} \tag{3}
\]

\[
v_{s1,s2} = \frac{(nv_s + v_o)}{(n + 1)} \tag{4}
\]
Figure 2: Operational modes of the proposed converter. a) Mode 1 b) Mode 2 c) Mode 3 d) Mode 4 e) Mode 5 f) Mode 6

Figure 3: Waveforms according to operational modes analysis

\[ v_{Cr}(t) = V_M \cos(\omega_r t) \]  
(18)

\[ v_{Cr}(t_2) = V_M = \frac{(n v_s + v_o)}{(n + 1)} , \quad v_{Cr}(t_3) = 0 \]  
(19)

\[ \omega_r = \frac{1}{\sqrt{L_r C_r}} , \quad Z_r = \sqrt{L_r / C_r} \]  
(20)

\[ i_{D0}(t) = i_{D1,D2}(t) = V_{s1,s2}(t) = 0 \]  
(21)

*Mode 4 \((t_3 \leq t < t_4)\)*
When the voltage of the resonant capacitor equals zero, mode 4 begins. In this mode, the freewheeling diodes of D1 and D2 are turned on, and the current of the resonant inductor is at maximum value. The resonant inductor current flows to the freewheeling paths S1–Lr–D2 and S2–Lr–D1:

\[
i_{s1,s2}(t) = \left( i_{Lr}(t)/2 \right) + \left( i_{Lm}(t)/2 \right) \tag{22}
\]

\[
i_{D1,D2}(t) = \left( i_{Lr}(t)/2 \right) - \left( i_{Lm}(t)/2 \right) \tag{23}
\]

\[
i_{Lr}(t_3) = i_{Lr}(t_4) = I_{LR,max} \tag{24}
\]

During this time, the magnetizing inductor voltage is equal to the input voltage and the current accumulating energy increases linearly:

\[
v_{Lm}(t) = V_s \tag{25}
\]

\[
i_{Lm}(t) = I_{min} + \frac{V_s}{L_m} t \tag{26}
\]

\[
i_{Do}(t) = V_{CR}(t) = 0 \tag{27}
\]

Mode 5 (t_4 \leq t < t_5)

In mode 5, all of switches are turned off under the zero-voltage condition by the resonant capacitor. When all of the switches are turned off, the resonant capacitor C_r is charged to a constant value by the two inductor currents until the resonant capacitor is full charged and the output diode is in the OFF state.

\[
i_{Lm}(t) \cong i_{Lm}(tA) = I_{max} \tag{28}
\]

\[
i_{Lr} = i_{D1,D2}(t) = I_{max}\cos(\omega_r t) \tag{29}
\]

\[
v_{CR}(t) = v_{S1,S2}(t) = Z_r (I_{Lm}(t) + I_{Lr}(t)) \sin(\omega_r t) \tag{30}
\]

\[
v_{CR}(t_5) = (nV_s + v_o)/(n+1) \tag{31}
\]

\[
i_{Do}(t) = i_{s1,s2}(t) = 0 \tag{32}
\]

Mode 6 (t_5 \leq t < t_6)

When the resonant capacitor voltage equals a constant value mode 6 begins. The output diode is turned on under the zero-voltage condition. During this mode, the magnetizing inductor current i_{Lm} and the resonant inductor current i_{Lr} flow to the output through the output diode D_o:

\[
i_{Do}(t) = (i_{Lm}(t)/n) + i_{Lr}(t) \tag{33}
\]

\[
i_{Lr}(t) = \left( \frac{-v_{CR}(t)}{L_r} \right) t, \quad i_{Lr}(t_6) = 0 \tag{34}
\]

\[
v_{CR}(t) = (nV_s + v_o)/(n+1) \tag{35}
\]

\[
v_{S1,S2}(t) = v_{CR}(t) \tag{36}
\]

Both inductor currents are linearly decreased, and the energy of the resonant inductor is completely transferred to the load. Then, the mode 6 is over:

\[
i_{Lm}(t) = I_{max} + \frac{(V_s - V_o)}{(n+1)L_m} t \tag{37}
\]

IN III DESIGN PROCEDURE

A ZVS Condition of Switch

Fig. 4 shows the key waveform of the soft-switching converter. The minimum and maximum values of the duty cycle are obtained from magnetizing inductor voltage as (38) and (39) respectively. The resonant inductor current must exceed the magnetizing inductor current during the freewheeling mode (mode 4) to satisfy the zero-voltage switching (ZVS) condition. The voltage of the resonant inductor and the current are expressed as (40) and (41), respectively.

\[
D_{min} = \frac{V_o - V_{S,max}}{nV_{S,max} + V_o} \tag{38}
\]

\[
D_{max} = \frac{V_o - V_{S,min}}{nV_{S,min} + V_o} \tag{39}
\]

\[
v_{LR}(t) = -(V_s + V_f) = -V_{FW} \tag{40}
\]

\[
i_{Lr}(t) = -\frac{V_{FW}}{L_r} t + I_{min} + \frac{(nV_s + V_o)}{(n+1)Z_r} \tag{41}
\]

The ZVS condition of this converter is expressed as (42)

\[
-\frac{V_{FW}}{L_r} t + I_{min} + \frac{(nV_{S,min} + V_o)}{(n+1)Z_r} > I_{max} \tag{42}
\]

\[
I_{max} = I_{min} + \Delta i_{Lm} \tag{43}
\]

\[
-\frac{V_{FW}}{L_r} D_{max} T + \frac{(nV_{S,min} + V_o)}{(n+1)Z_r} > \Delta i_{Lm} \tag{44}
\]

B Resonant Inductor

In Fig. 4, the rising time of the resonant inductor current (mode 2), is expressed by (45). For the maximum resonant current, the resonant time of the resonant inductor and capacitor (mode 3), is defined as one-fourth of the resonant period. As a rule of thumb, the rising time of the resonant inductor current (modes 2–3) can be set to 10% of the minimum on time. This is expressed by the relation (47):

\[
t_3 - t_2 = \frac{L_r}{nV_{S,min} + V_o} I_{min} \tag{45}
\]

\[
t_3 - t_1 = T_r/4 \tag{46}
\]

\[
\frac{L_r}{nV_{S,min} + V_o} I_{min} + \frac{T_r}{4} = 0.1D_{min} T \tag{47}
\]

From (44) and (47), the resonant inductor is determined by:

\[
L_r < \left[ \frac{0.2(nV_{S,min} + V_o) D_{min} T - V_{FW} D_{max} T}{\Delta i_{Lm} + \frac{2}{\pi} I_{min}} \right] \tag{48}
\]
C Resonant Capacitor

The resonant capacitor is connected to the switches in parallel. Thus, the waveforms of the resonant capacitor voltage and switch voltage are equivalent at turn-off (modes 5 and 6). The resonant capacitor can be selected to exceed ten times the output capacitance of the switch. Since the capacitor is charged by the magnetizing inductor current and the resonant inductor current during mode 5, it can be selected to exceed twenty times the output capacitance of the switch. Equation (47) is simplified to:

\[
C_r = \frac{0.04D_{min}^2n^2}{\pi^2L_r} + \frac{4\left(\frac{1}{nV_{s_{min}}+V_o}\right)^2}{\pi^2}L_rI_{min}^2 - \frac{0.88\pi V_{s_{min}}^2D_{min}nT}{\pi^2}I_{min}
\] (49)

The above mentioned relationships are used to determine the main parameters of a 225W power converter considered for photovoltaic application. Table 1 gives the converter specifications and parameters.

The design of the resonant inductor and capacitor are based on relations (48) and (49). More investigations are being performed to determine an optimized design of the converter by taking in to account the switching losses and stresses.

To have a comparison between the proposed soft-switching converter and hard-switching converter losses, the loss analyses have been carried out. The main losses include the turn-on and turn-off switching losses, the switching losses due to the drain-source capacitance of MOSFETs and the junction capacitance of diodes. The loss equations can be obtained through the loss analysis of each stage (see [18]). The ratio of the proposed soft-switching converter losses \(P_{Soft}\) over the hard-switching converter losses \(P_{Hard}\) have been plotted in Fig. 5. From this figure, it can be seen that at the same turn ratio, the loss ratio rises by increase of voltage gain. It is because to reach a higher voltage gain at a constant turn ratio, duty cycle has to rise (3) and the ZVS condition of switching always comes at the expense of increase in conduction losses due to the use of extra diodes or auxiliary switches. For the worst condition \((V_s = 18V)\) and the best condition \((V_s = 24V)\) the soft-switching converter losses are about 68% and 61% of the hard-switching converter losses respectively.

IV SIMULATION RESULTS

The designed converter is simulated by using the PSIM software. In simulations all circuit elements are considered ideal. The converter specifications and implementation details are shown in Table I.

Fig. 6 shows the output diode current and switches current \(S_{1,2}\). In this figure the ZVS and ZCS of the main switches and the output diode can be observed.

Fig. 7 shows the resonant capacitor voltage and drain-to-source voltage of the switches. As shown in this figure the voltage stress on the switches is clamped to resonant capacitor voltage. Via resonance of the resonant inductor and capacitor, ZVS and ZCS switching are achieved at turn-on and turn-off.

![Table 1: Converter specifications and implementation details](image)

![Figure 5: Loss comparison between proposed soft-switching converter \(P_{Soft}\) and hard-switching converter \(P_{Hard}\)](image)

Fig. 8 shows the simulated waveforms of the magnetizing inductor current and the resonant inductor current. Since the resonant inductor current exceeds the magnetizing inductor current ZVS for switch is satisfied.

The input voltage is considered 18-24V to show the variant input voltage of the PV module as source. The maximum duty cycle for PWM is 0.51 and it can be raised to achieve higher voltage ratio.

Fig. 9 shows the dynamic response of the output voltage to the source voltage changes. At first, source voltage changes from 18V to 24V and then returns to 18V. As can be seen in this figure a time response of 20msec is obtained with a PI controller in which the coefficients are adjusted by try and error.

V CONCLUSION

An efficient high step-up coupled-inductor soft-switched boost converter is developed in this paper. In the proposed converter all switching devices including main and auxiliary switches and output diode are working under ZVS and ZCS in turn-off and turn-on. Therefore, the switching losses are reduced dramatically and the output diode reverse-recovery problem has no longer existed. Also due to resonant circuit, the voltage stress is
of the converter are determined from this analysis. A design procedure is suggested based on the main relationships of the converter. A 225W dc-dc converter is designed and simulated. The simulation results show a good agreement with analytical approach in both operational modes and waveform characteristics.

REFERENCES


